Computer Drawn Isarithmic Maps

By Ole Hebin

Abstract

Description of ^a FORTRAN IV program which draws isarithmic maps in a matrix. All points on the isarithms are calculated by means of linear interpolation. If required, the maps can be provided with the values from the original matrix and with suitable headings.

Introduction

In the following ^a description is given of ^a FORTRAN IV program which draws isarithmic maps in a matrix with constant, but not necessarily the same distances between rows and columns.

All points on the isarithms are calculated by means of linear interpolation in triangles, the size of which depends on the inpul matrix and the chosen subprogram for plotting.

The values, or some of them, from the original matrix can he transferred to the isarithmic map. Furthermore, the user can freely choose a headline; this done, the equidistance will be drawn automatically.

The program is written for use on a Calcomp 563 Digital Plotter and has been tested al the Northern Europe University Computing Center (NEUCC), the Technical University of Denmark, Lundtofte, from where other computing centres are welcome to get a description of the applied plotter routines.

Description of the program

The plotter program is composed of a main program GRIDO and three subprograms GRID1, GRID2, and PLTTRI, all of them written in FORTRAN IV.

In order to facilitate the understanding, a schematic outline of the working process is given in fig. 1:

The main program GRIDO reads-in the parametres, the heading cards, the variable format cards, and the data matrix.

GRIDO draws map frames and heading and, dependent on the parametre GITT, it will call either GRID1 or GRID2 which again cals PLTTRI, where the actual drawing of the map will be carried

Fig. 1. Simplified flow-chart.

out. This completed, the program returns to GRIDO where the map may be provided with values from the original matrix A, the input parametres are printed out, and the program will stop.

PLTTRI

The central element in the map drawing program is the subroutine PLTTRI that draws isarithms in a triangle by connecting points of equal function value on the sides of the triangle according to the interpolation principle described below.

On fig $2 A$ and fig $2 B (x, y)$ indicates the coordinates of the point P and ^f the function value in (x, y).

If
$$
f_1 \leq f_2 \leq f_3
$$
;
and h is the equidistance and

$$
m = integer\left(\frac{f_3}{h}\right);
$$

\n
$$
n = integer\left(\frac{f_1}{h}\right);
$$

\n(2)

then m-n isarithms will intersect the line P_1P_3 .

These m-n isarithms will have the function values:

$$
f_i = s \times h
$$
; for $s = n, n + 1, n + 2, ..., m \div n$; (3)

and the coordinates:

$$
x_{i} = \frac{x_{3}(f_{1} \div s \times h) \div x_{1}(f_{3} \div s \times h)}{f_{1} \div f_{3}}
$$
\n
$$
y_{i} = \frac{y_{3}(f_{1} \div s \times h) \div y_{1}(f_{3} \div s \times h)}{f_{1} \div f_{3}}
$$
\nfor s = n, n + 1, n + 2, ..., m ÷ 2

Fig. 2A. Triangle in which all interpolations are carried out. Fig. 2B. Cross-section along P_1P_3 in figure 2A to show the positions of x_i , y_i and f_i .

If $f_2 \geqslant f_i$ the isarithm intersects the line P_1 P_2 , if $f_2 \leqslant f_i$ the isarithm intersects the line P_2P_3 .

The coordinates on either P_1P_2 or P_2P_3 are computed analog with (x_i, y_i, f_i) , as (x_j, y_j, f_j) .

When the points (x_i, y_i, f_i) and (x_j, y_j, f_j) have been computed, the line connecting them is drawn, and thus it continues till all $m \div n$ isarithms have been drawn; this implies that according to condition (1) no isarithms will be missing.

If
\n
$$
f_1 \leq f_3 \leq f_2
$$
 (1)'
\n (x_i, y_i, f_i) will be placed on P_1P_2 and
\nif
\n $f_2 \leq f_1 \leq f_3$ (1)''
\n (x_i, y_i, f_i) will be placed on P_2P_3 , etc.

This process is carried through for each call of the subroutine PLTTRI.

GRID1

The subroutine GRID1 computes on the basis of (xo, yo), Dx and Dy the position on the map of each A_{ij} . Furthermore, the mid-point (x_m, y_m) of each rectangle $(Dx \cdot Dy)$ is computed. (Fig. 3 A).

$$
x_m = \frac{x_i + x_{i-1}}{2}; y_m = \frac{y_i + y_{i-1}}{2}; A_m = \frac{A_{i-1}, j_{-1} + A_{i,j-1} + A_{i-1,j} + A_{i,j}}{4};
$$

where $i = 2, 3, 4, ..., N$ and $j = 2, 3, 4, ..., M$.

The subroutine PLTTRI is then called for each of the triangles 1, 2, 3, and 4.

This process will be repeated until the total matrix has been plotted out.

In order to speed up the plotting, decreasing and increasing ⁱ'^s are treated alternately. (Fig. 3 B).

Fig. 3B. Sequence of plotting in the grid to speed up the process.

GRID2

In principle, GRID2 works as GRID1 except that it makes a more detailed division of the rectangle (Dx * Dy) prior to the plotting.

Fig. 4. Detail of grid-net when using GRID2 showing the partition of each cell into 4 rectangles and each rectangle into 4 triangles.

First, Pa'^s coordinates are calculated as:

$$
Y_a = \frac{Y_{j-1} + Y_j}{2}; \ X_a = X_{i-1} \text{ and } f_a = \frac{A_{i-1}, j-1}2 + A_{i-1}, j
$$

second, Pb'^s coordinates as:

$$
Y_b = Y_{j-1}; X_b = \frac{X_{i-1} + X_i}{2} \text{ and } f_b = \frac{A_{i-1}, i-1}{2} + A_{i}, i-1
$$

third, Pc'^s coordinates as:

$$
Y_e = Y_a; \ X_e = X_b \text{ and } f_e = \frac{A_{i-1}, j_{-1} + A_{i}, j_{-1} + A_{i-1}, j_{-1} + A_{i}, j_{-1} + A_{i}}{4}
$$

finally, Pm's coordinates as:

$$
X_m = \frac{X_{i-1} + X_b}{2}; \ Y_m = \frac{Y_{i-1} + Y_a}{2} \text{ and } f_m = \frac{A_{i-1}, j-1 + I_a + I_b + I_c}{4}
$$

In the resulting rectangle ihe plotting will be made as described for GRID1.

Next step will be a replacement of Pa by Pd and compulation of a new Pm, whereafter the process will be repeated.

Then Pb is replaced by Pc and ^a new Pm computed. Finally, Pd will be replaced by Pa, and ^a last Pm is computed, which completes the plotting in the rectangle. In this way plotting continues until the whole matrix is drawn.

GRIDO

In GRIDO, parametres, heading, variable input-format, and data matrix must be read in before the scaling to desired size of map and drawing of map frames and heading can be carried out.

After call of either GRID1 or GRID2 all, or some, of the values from the original matrix may be transferred to the map.

The parametres are:

The parametres are printed out as the last process in the program.

mals in the plotted values.

Parametre cards.

DECK SET-UP

Heading card

Column text
1-25 head 1-25 heading 26-31 blank (here the program inserts the equidistance) $32-33$ unit of the equidistance e.g. M., F., or Y. unit of the equidistance e.g. M., F., or Y.

Variable format card (only one card)

Column text

format specification, F-type.

Fig. 5. Deck set-up.

Data

These are to be punched in accordance with the F-specification.

Running time

With GRID1, a 21×18 matrix with plotting of the total original matrix as integers runs for 2.26 min., and the plotting will take 32.8 min. When GRID2 is used, the running time will be 2.42 and 35.3 min. respectively. In both cases 506 lines are printed out by the line-printer.

SEXECUTE TRJOB Program listing with data examples: **ETR.IDR.** SIBFTC GRIDO. Ċ ϵ MAIN PROGRAM GRIDO (GIOHOO9) ϵ ϵ ϵ **DUDDDSE** READ PARAMETERS AND DATA FOR CONSTRUCTION OF AND ISARITMIC MAP ϵ **RY CALLING SPECIFIED ROUTINES** Ċ ϵ ϵ USAGE NORMAL ϵ $\overline{\mathsf{c}}$ ċ DESCRIPTION OF PARAMETERS SCRIPTION OF PARAMETERS

A - INPUT MATRIX (M*N)

N - NUMBER OF COLUMNS IN A (MAX, 125)

M - NUMBER OF ROWS IN A (MAX, 125)

XO - X-COORDINATE FOR LOWER LEFT CORNER OF MAP

YO - Y-COORDINATE FOR LOWER LEFT CORNER OF MAP

YO ϵ ϵ $\overline{\epsilon}$ $\begin{array}{c}\nM \\
M \\
N \\
N\n\end{array}$ ϵ ϵ DX - DISTANCE BETWEEN DRIGINAL COLUMNS
- DISTANCE BETWEEN ORIGINAL ROWS ϵ c DY - CONTOUR INTERVAL
- HIGTH OF MAP IN CM (MAX, CM=65,)
- USE GRIDI (GITT=1), USE GRID2 (GITT=2)
- POSTING DESIRED (P=1) ELSE (P=0) ċ H CH cc $GITT \overrightarrow{P}$ $\frac{CP}{RP}$ \tilde{c} - POSTING OF EACH CP'TH COLUMN $\mathsf{c}\,$ - POSTING OF EACH RP'TH ROW ϵ INT - POSTING VALUES ARE PLOTTED AS INTEGERS (INT=-1), ELSE ϵ AS PLOATING POINT NUMBERS (INT=NUMBER OF DECIMALS) HEAD - HEADING CARD (MAX. 33 CHARACTERS) c FORM - INPUT FORMAT FOR A(M,N) c ϵ ϵ **REMARKS** IF CM LESS THAN 1 - THE PROGRAM WIL USE CM=10, AND IF CM GREATE ċ ϵ R THAN 65 - THE PROGRAM WILL USE CM=65 ϵ \overline{c} SUBROUTINES AND FUNCTION SUBPROGRAMS REQUIRED TRANSLATES THE ORIGINAL COORDINATE SYSTEM TO A
NEW ONE WITH A NEW ORIGIN BUT SAME DIRECTION OF c PARALE $\frac{c}{c}$ **AXIS** DRAWS STRAIGHT LINES PLOT FACTOR $\frac{c}{c}$ V. SCALES ALL COORDINATE VALUES SYMBOL \sim PLOTS SYMBOLS c NUMBER \sim PLOTS NUMBERS GRIDI CALLS PLITRI FOR DRAWING OF CONTOUR NAP CALLS PLITRI FOR DRAWING OF CONTOUR MAP $\mathbf c$ C. \sim $\frac{c}{c}$ GRID2 \sim DRAWS CONTOURS OF A FUNCTION OF TWO VARIABLES PL TTRI INSIDE A SPECIFIED TRIANGLE c ϵ **METHOD** REFER TO D. HEBIN, COMPUTER DRAWN ISARITMIC MAPS', GEOGRAPHICAL c c DEP., UNIVERSITY OF COPENHAGEN, 1969 c è ϵ REAL A(125,125), RUFFER(165) INTEGER HEAD(6), FORM(14), GITT, P, RP, CP c c c **TNPUT** ċ READ(5,101) N, M, XO, YO, DX, DY, H, CM, GITT, P, RP, CP, INT
READ(5,102) (HEAD(I),I=1,6) READ(5,103) (FORM(I), [=1,14) $DO 1 J=1 M$ $1 = M - J + 1$ 1 READ(5, FORM) (A(1, JA), JA=1, N) ϵ ϵ SCAL ING ϵ IF(CM.LT.1.) CM = 10 . IF(CM.GT.65.) CM = 65. FACTR=CM/FLOAT(M-1)

DX=DX/DY $DY=1-0$ c ϵ **PLOTTING** ϵ $xM = X0+DX*FLUAT[N-1]$ YM = YO+DY*FLOAT (M-1) YN=(YN+1.8)/2.0 CALL PARALF(9.5,1.5)
CALL FACTOR (FACTR) CALL PLOT (XO_TYM₁X)
CALL PLOT (XO_TYM₁X)
CALL PLOT (XM₁YM₁1)
CALL PLOT (XM₁YM₁1)
CALL PLOT (XO_TYO₁1) CALL PLOT(X0-0.9,Y0-0.9,2) CALL PLOT(X0-0.9,YN,1) CALL PLOT(X0-0.9, YM+1.8,1) CALL PLOT(XM+0.9, YM+1.8,1) CALL PLOT(XM+0.9,YN,1) CALL PLOT(XM+0.9,Y0-0.9,1) CALL PLOT(X0-0.9,Y0-0.9,1) CALL SYMBOL (XO_TYM+ 0.570.5, MEAD(1), 0.53)
CALL SYMBOL (XO_TYM+ 0.57, YM+0.5, 0.5, H₁0., -1)
CALL SYMBOL (XO_TY0-0.5, 0.25, 19HHEBIN, GEOGR. DEP. 10.119) ϵ CHOOSE OF GRID AND PLOT CONTOURS ċ $\mathbf c$ IF(GITT.EQ.1) CALL GRIDI (N,M,XO,YO,DX,DY,A,H) IF(GITT.EO.2) CALL GRID2 $\{N_1N_1X0_1Y0_1DX_1DY_1A_1H\}$
IF(P.EO.0) GO TO 3 ϵ PLOT OF ORIGINAL VALUES ON MAP IF REQUESTED ϵ ϵ DO 2 J=1, M, RP $DO 2 I = 1, N, CP$ $X = X0+DX*FLOAT(I-1)
Y= Y0+DY*FLOAT(J-1)$ CALL SYMBOL (X,Y,O,O8,033,O.,-1)
CALL NUMBER (X+0,1,Y,O,O8,033,O.,-1)
CALL NUMBER (X+0,1,Y,O,15,A(J,I),O.,INT) 2 CONTINUE 3 CONTINUE c c DEPARTMENT OF PUBLIC RELATIONS ϵ WRITE(6,104) WRITE(6,105) HEAD **WRITE(6,106) FORM** WRITE(6,107) M, N, X0, Y0, DX, DY, CM, GITT
WRITE(6,108) P, RP, CP, INT WRITE(6,109) c c FORMATING c 101 FORMAT(213,5F5.1,F3.1,211,312) 102 FORMAT (5A6, A3) 103 FORMAT(13A6, A2) 104 FORMAT(1H1,4X,76HUNIVERSITY OF COPENHAGEN, GEOGRAPHICAL DEP., OLE *HEBIN, GIOHOO9, APRIL 1969, /5X, SIMPLOTTING OF ISARITMIC MAPS ON ***THE CALCOMP-PLOTTER.** \mathbf{I} 105 FORMAT(1H0/1H0,4X,8HHEADING,/1H0,4X,5A6,A3//) 106 FORMAT(1H0,4X,13HINPUT FORMAT,/1H0,4X,13A6,A2//)
107 FORMAT(1H0,4X,21HSPECIFIED PARAMETERS,// *...................=,110 $\overline{}$ $*$ *5X;79HX-COORDINATE LOWER LEFT CORNER (XO) ٠... $.....................$ F16.5 *5X, 79HY-COORDINATE LOWER LEFT CORNER (YO) $*...$ $.....................$ F16.5 *5X, 79HDISTANCE BETWEEN COLUMNS (DX) $*$F16.5 *5X,79HDISTANCE BETWEEN ROWS (DY)

```
*5X,79HHIGTH OF PLOT IN CENTIMETERS (CM) ..........................
      *.....................,110
                                         \lambda108 FORMATI
      *5X,79HIS POSTING DESIRED, (P) (NO=0, YES=1) .....................
      *......................110
      *5X, 79HEACH CP'TH COLUMN IS POSTED (CP) ..........................
      *...................=,110
      *5X,79HKIND OF POSTED NUMBER (INT) (INTEGER=-1, ELSE NUMBER OF DECI
      *MALS) .............=,I10
                                         (11)THE ST TERMAT(1H0/1H0,4X,46H#**** PLOTTING COMPLETED ***** I HOPE SD ****
      ##1STOP
       END
$IBFTC GRID1.
C
Ċ
       C
\epsilonSUBROUTINE GRID1
C
       PURPOSE
\epsilonTHIS SUBROUTINE PREPARES THE ORIGINAL DATAMATRIX FOR PLOTTING
c
          BY THE ROUTINE PLTTRI, WHICH PERFORMS THE CONTOUR DRAWING
c
c
\epsilonUSAGE
c
          CALL GRIDI (N<sub>2</sub> M<sub>2</sub> XO<sub>2</sub> YO<sub>3</sub> DX<sub>2</sub> DY<sub>2</sub> A<sub>2</sub> H)
c
      DESCRIPTION OF PARAMETERS
               PTION OF PARAMETERS<br>- INPUT MATRIX (M*N)<br>- NUMBER OF COLUMNS
\epsilon\frac{A}{N}A - INPUT MATRIX (M*N)<br>
N - NUMBER OF COLUMNS IN A (MAX, 125)<br>
M - NUMBER OF ROWS IN A (MAX, 125)<br>
XO - X-COORDINATE FOR LOWER LEFT CORNER OF MAP<br>
YO - Y-COORDINATE FOR LOWER LEFT CORNER OF MAP<br>
DX - DISTANCE BETWEEN ORIGI
\frac{c}{c}\mathsf{c}\,\mathsf{c}\frac{c}{c}\frac{c}{c}\overline{c}REMARKS
          THIS ROUTINE HAS PARTLY BEEN CONSTRUCTED AND PROGRAMED IN ALGOL
c
          BY THE DEPARTMENT FOR NUMERICAL ANALYSIS, MATHEMATICAL INSTITUTE OF THE UNIVERSITY OF COPENHAGEN, THE ROUTINE IS REVRITTEN<br>AND TRANSLATED TO FORTRAN IV FOR THE IBM7094 BY OLE HEBIN,
c
\epsilonC
          UNIVERSITY OF COPENHAGEN, GEOGRAPHICAL DEP., APRIL 1969
\frac{\epsilon}{c}SUBROUTINES AND FUNCTION SUBPROGRAMS REQUIRED
\mathbf{C}THE ROUTINE PRESUPPOSES PLTTRI AND PLOT
\mathsf{C}\epsilonc
      METHOD
        ALL GRIDPOINTS AND CONTOURPOINTS ARECALCULATED BY LINEAR INTER
\epsilonPOLATION.
C
          REFER TO D. HEBIN, COMPUTER DRAWN ISARITMIC MAPS', GEOGRAPHICAL
\epsilonDEP., UNIVERSITY OF COPENHAGEN, 1969
\frac{c}{c}\mathsf{c}\,\epsilonSUBROUTINE GRIDI (N, M, XO, YO, DX, DY, A, H)
       REAL A(125,125),K<br>K=0.5
       001.3=2, MYI=YO+FLOAT(J-2) *DY
       Y2=Y1+DYYM=K*{Y1+Y2}DO 1 L=2, N
       I = LIF(MOD(J, 2), EQ, 0)I=N-L+2x1 = x0 + FLAAT(I - 2) *DXx2=x1+DXxM = K * {x1 + x2}F11 = A(J-1, I-1)F12 = A(J, I-1)F21 = A(1 - 1, 1)F22=A(J, I)
```

```
FN=K##2*(F11+F12+F21+F22)
        CALL PLTTRI (XM, YM, FM, X1, Y1, F11, X2, Y1, F21, H)<br>CALL PLTTRI (XM, YM, FM, X2, Y1, F21, X2, Y2, F22, H)
        CALL PLTTRI (XM.YM.FM.X2.Y2.F22.X1.Y2.F12.H)
      I CALL PLTTRI (XM, YM, FM, X1, Y2, F12, X1, Y1, F11, H)
        RETURN
        END
SIBFTC GRID2.
\epsilonè
        SUBROUTINE GRID2
\epsilon\epsilon\epsilonPURPOSE
            THIS SUBROUTINE CALCULATES BY LINEAR INTERPOLATION A GRID WITH
\epsilonDOUBLE THE FINENESS OF THE ORIGINAL MATRIX AND PREPARES THE DATA FOR PLOTTING BY THE ROUTINE PLTTRI WHICH PERFORMS THE CON
\epsilon\epsilonTOUR DRAWING
\epsilonċ
\epsilonUSAGE
            CALL GRID2 (N, M, XO, YO, DX, DY, A, H)
\epsilon\epsilonDESCRIPTION OF PARAMETERS
ċ
                      INPUT MATRIX (M*N)
Ċ
            A
                  - NUMBER OF COLUMNS IN A (MAX, 125)<br>- NUMBER OF ROWS IN A (MAX, 125)<br>- X-COORDINATE FOR LOWER LEFT CORNER OF MAP<br>- Y-COORDINATE FOR LOWER LEFT CORNER OF MAP
c
            \mathbf{M}c
            \mathbf{M}ċ
            \times 0\epsilonY<sub>0</sub>- DISTANCE BETWEEN ORIGINAL COLUMNS
\epsilonDXDISTANCE BETWEEN DRIGINAL ROWS
\overline{c}DY
                   \mathcal{C}_{\mathbf{m}}\epsilon\sim .
                       CONTOUR INTERVAL
            H\epsilon\epsilonREMARKS
            THIS ROUTINE HAS PARTLY BEEN CONSTRUCTED AND PROGRAMED IN ALGOI.
\epsilonBY THE DEP. FOR NUMERICAL ANALYSIS, MATHEMATICAL INSTITUTE OF
r.
            THE UNIVERSITY OF COPENHAGEN, THE ROUTINE IS REWRITTEN AND<br>THE UNIVERSITY OF COPENHAGEN, THE ROUTINE IS REWRITTEN AND<br>TRANSLARED TO FORTRAN IV FOR THE IBN7094 BY OLE HEBIN, GEOGR.
\epsilonDEP., UNIVERSITY OF COPENHAGEN
\epsilon\epsilonSUBROUTINES AND FUNCTION SUBPROGRAMS REQUIRED
\epsilonTHE ROUTINE PRESUPPOSES PLTTRI AND PLOT
        ME THOD
           ALL GRIDPOINTS AND CONTOURPOINTS AR CALCULATED BY LINEAR INTER
\epsilonPOLATION.
\epsilonREFER TO O. HEBIN, COMPUTER DRAWN ISARITMIC MAPS', GEOGRAPHICAL
\mathsf{c}DEP., UNIVERSITY OF COPENHAGEN, 1969
C
\epsilon\epsilonSUBROUTINE GRID2 (N,M,XO,YO,DX,DY,A,H)
        REAL A(125,125),K<br>K=0.5
               J=2, M
        00<sub>1</sub>YI=Y0+FLOAT(J-2) *DY
        Y3=Y1+DYY2=K*(Y1+Y3)
        DO 1 L = 2. NT = 1IF(MOD(J.2).EQ.0)I=N-L+2
        x1 = x0 + FLOAT(1-2)*DX
        x3=x1+DXx2 = k * (x1 + x3)F11 = A(J-1, I-1)F13=A[J, I-1]<br>F12=K*(F11+F13)
        F31 = A(J-1, I\lambdaF33=A(J ,I )<br>F32=K*(F31+F33)
        F21=K*(F11+F31)
        F23=K*{F13+F33)
        F22=K**2*(F11+F13+F31+F33)
        xM = K * (x1 + x2)YM=K*(Y2+Y3)
       FM=K**2*(F12+F13+F22+F23)
```
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```
CALL PLTTRI(XM,YM,FM,XI,Y2,F12,X2,Y2,F22,H)
       CALL PLTTRI(XM,YM,FM,X2,Y2,F22,X2,Y3,F23,H)<br>CALL PLTTRI(XM,YM,FM,X2,Y3,F23,X1,Y3,F13,H)
        CALL PLTTRI (XM, YM, FM, XI, Y3, F13, XI, Y2, F12, H)
        xM = K * (x1 + x2)YM=K* [Y1+Y2]FM=K**2*(F11+F12+F21+F22)
       CALL PLTTRI(XM,YM,FM,X1,Y1,F11,X2,Y1,F21,H)
       CALL PLTTRI(XM,YM,FM,X2,Y1,F21,X2,Y2,F22,H)<br>CALL PLTTRI(XM,YM,FM,X2,Y2,F22,X1,Y2,F12,H)
        CALL PLTTRI (XM, YM, FM, X1, Y2, F12, X1, Y1, F11, H)
        xM = K * (x2 + x3)YM = K * (Y1+Y2)FM=K**2*(F21+F22+F31+F32)
       CALL PLITRI(XM,YM,FM,X2,Y1,F21,X3,Y1,F31,H)<br>CALL PLITRI(XM,YM,FM,X3,Y1,F31,X3,Y2,F32,H)<br>CALL PLITRI(XM,YM,FM,X3,Y2,F32,X2,Y2,F22,H)
        CALL PLTTRI(XM,YM,FM,X2,Y2,F22,X2,Y1,F21,H)
        XM=K*(X2+X3)
        YM=K*(Y2+Y3)
       FM=K**2*(F22+F23+F32+F33)
       CALL PLTTRI(XM,YM,FM,X2,Y2,F22,X3,Y2,F32,H)
       CALL PLTTRI(XM,YM,FM,X3,Y2,F32,X3,Y3,F33,H)<br>CALL PLTTRI(XM,YM,FM,X3,Y3,F33,X2,Y3,F23,H)
     I CALL PLTTRI (XM, YM, FM, X2, Y3, F23, X2, Y2, F22, H)
        RETURN
       END
SIRFTC PLTT.
           SUBROUTINE PLTTRI
          PURPOSE
                THIS SUBROUTINE DRAWS CONTOURS OF A FUNCTION OF TWO VARIAB-LES INSIDE A SPECIFIED TRIANGLE BY CONNECTING POINTS ON THE PERIMETER WITH THE SAME FUNCTION VALUE.
          ISAGE
                CALL PLITRI (X1, Y1, F1, X2, Y2, F2, X3, Y3, F3, H)
           DESCRIPTION OF PARAMETERS
                x_1, y_1, F_1,X2, Y2, F2,
                X3,Y3,F3, - ARE THE COORDINATES AND FUNCTION VALUES OF THE
                               VERTICES OF THE TRIANGLE
                            - ARE THE VALUE DIFFERENCE BETWEEN CONTOURS
           REMARKS
                THIS SUBROUTINE HAS BEEN TRANSLATED FROM THE ALGOL PROCEDU
                RE PLOTTRI SA 78IL BY O.HEBIN, GEOGRAPHICAL INSTITUTE, UNI<br>VERSITY OF COPENHAGEN. THE ORIGINAL PROGRAM WAS WRITTEN BY
                BJ.SVEJGAARD AND P.LINDBLAD AT THE DEPARTMENT FOR NUMERICAL<br>ANALYSIS, MATHEMATICAL INSTITUTE OF THE UNIVERSITY OF COPE
                NHAGEN.
          SUBROUTINE AND FUNCTION SUBPROGRAMS REQUIRED
                PLTTRI PRESUPPOSES SUBROUTINE PLOT
           MF THOD
                THE FUNCTIO VALUES ARE DETERMINED BY LINEAR INTERPOLATION.
                RETWEEN THE VERTICES
           SUBROUTINE PLTTRI (X1,Y1,F1,X2,Y2,F2,X3,Y3,F3,H)
       XA = X1YA = Y1FA = F1XB = X2YB = Y2F R = F 2XC = X3
```
700 700 705 605 580 580 615 605 505 470 440 400 380 420 410 450 490 485

460

Examples:

The printed out parametres for the plotting process may look like this:

UNIVERSITY OF COPENHAGEN, GEOGRAPHICAL DEP., OLE HEBIN, GIOHOO9, APRIL 1969,
PLOTTING OF ISARITMIC MAPS ON THE CALCOMP-PLOTTER.

HEAD ING.

CONTOUR-MAP ### TEST ### F

INPUT FORMAT,

 (1854.0)

SPECIFIED PARAMETERS,

***** PLOTTING COMPLETED ***** I HOPE SO *****

EFFEKTIVITET 42 PROCENT PLOTTETID 32.8 MIN PAPTREORBRUG 40CM # 34CM

On the hack cover ³ maps (pl. 1, 2, and 3) drawn hy the computer are inserted.

RESUMÉ

Nærværende artikel beskriver et FORTRAN IV program, der tegner isoliniekort ⁱ en matrice, hvor afstandene mellem rækker og søjler er konstante, men ikke nødvendigvis de samme for rækker og søjler.

Alle punkter på isolinierne beregnes ved lineær interpolation ⁱ trekanter, hvis størrelse afhænger af input-matricen og valg af subprogram for plotning.

Det udtegnede isoliniekort kan forsynes med originalmatriccns talværdier eller dele heraf. Desuden kan kortet forsynes med en valgbar overskrift efter hvilken ækvidistancen automatisk udtegncs.

Programmet er skrevet for brug på en Calcomp 563 Digital Plotter og er afprøvet på Northern Europe University Computing Center [NEUCC], Danmarks Tekniske Højskole, Lundtofte, der vil kunne forsyne eventuelle brugere ved andre regneccntre med en beskrivelse af de anvendte plotterrutiner.